

Weds: Group ExerciseFri: MW 5pmEnergy

Newton's system of mechanics provides the tools to understand the behavior and workings of any (classical) system. Examples include:

1) projectiles

DEMO: PhET Projectile Motion → frictionless case: Phys 111, 131

2) objects sliding on tracks

DEMO: PhET Energy Skate Park (~~Basics~~) → straight ramp Phys 111, 131

→ curve ramp ??

→ loop ??

3) springs/mass

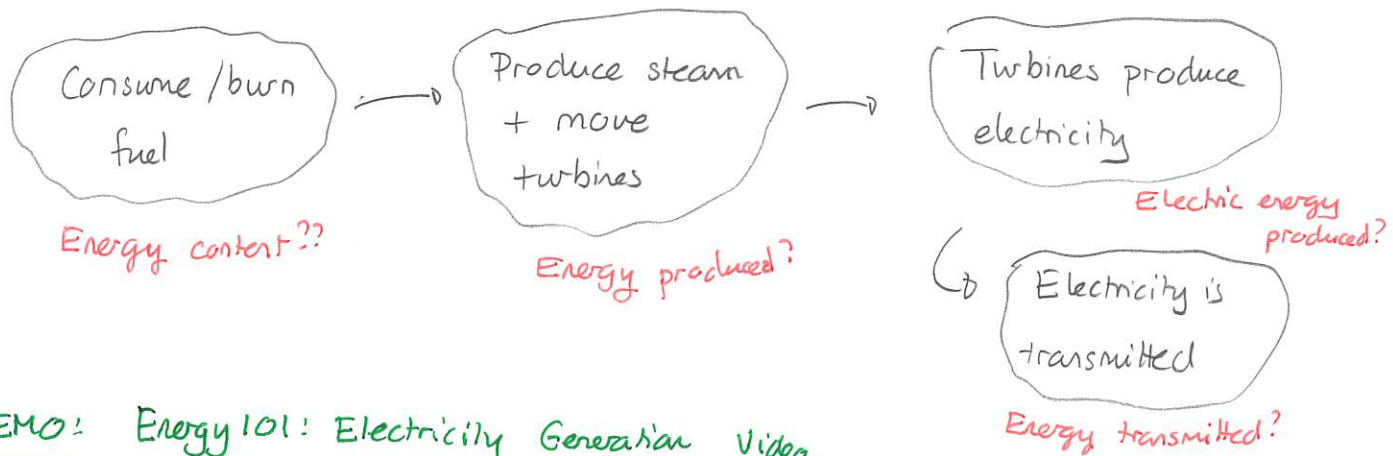
DEMO: ~~PhET~~ Spring / mass → general Phys 230

4) gases

DEMO: PhET Gas Properties → few particles ??
- many particles ??DEMO: Chain Fountain

Some of these situations are fairly easy to describe thoroughly using basic mechanics (and perhaps electricity + magnetism). Others are more difficult and some are seemingly impossible.

Certain practical situations can be extremely complex. For example our energy generation process involves



DEMO: Energy 101: Electricity Generation Video.

Despite the complication of such systems we can account for what is going on in terms of a physical quantity called energy.

Conceptually we will have:

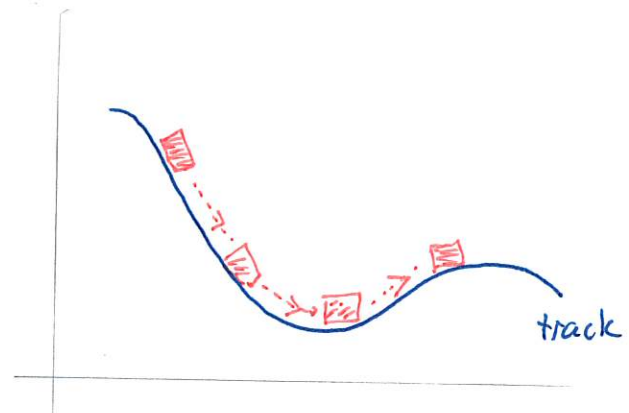
Energy \leadsto a (bookkeeping/accounting) quantity that allows one to track / assess / predict physical situations.

Energy conservation \leadsto a rule for doing the bookkeeping

We will start by describing energy in simple physical systems.

Energy in Mechanics

Consider a situation where an object slides down a track. In principle, we could analyze this using Newton's Second Law. But the analysis is difficult when the track curves.



Fortunately one can show that there is an alternative.

DEMO: PhET Energy Skate Park (Basics)

- * Intro Tab → Track U
- Friction none
- * Observe → Motion
- * Observe → Bar Graph

The bar graph shows three types of energy: kinetic, potential and total.
KE PE

Quiz 1

Starting with Newton's Second Law one can derive (for this situation)

KINETIC ENERGY

* associated with moving mass

$$\text{Kinetic Energy} = \frac{1}{2} \times \text{mass} \times \text{speed}^2$$

$$KE = \frac{1}{2} m \times v^2$$

↙ In Joules (J)
 ↖ In kg ↘ In m/s²

POTENTIAL ENERGY

* associated with vertical position of mass

$$\text{Potential Energy} = \text{mass} \times 9.8 \times \text{vertical height above ground}$$

$$PE = m \times g \times h$$

↙ J ↖ kg ↘ m/s² → m

DEMO: PhET ESP (Basics)

- Observe in relation to previous quiz

Quiz 2 30% - 70%

These combine to give

TOTAL (MECHANICAL) ENERGY

* add all types of energy

$$\text{Total energy} = \text{kinetic energy} + \text{potential energy}$$

Then, for objects that slide along tracks / slopes / ramps and where there is no friction:

At all times while the object moves, the total energy stays constant (always has the same value)

This is an example of the Law of Energy Conservation

DEMO: PHET ESP - show bar graph fluctuating

Quiz 3

Note that in these situations

- * KE increases as object speeds up // decreases as object slows
- * PE " as object ascends // decreases as object descends
- * energy constantly shifts from one type to another.

1 Energy and a skating dog

A dog rides a skateboard (combined mass 20 kg) up and down a curved track. The dog starts from rest at the top of the track which is 4.0 m above the ground. The lowest point on the track is at ground level.

- Determine the kinetic energy, the potential energy and the total energy of the dog at the top of the track.
- Determine the kinetic energy, the potential energy and the total energy of the dog when it is halfway down the track (2.0 m above the ground).
- Determine the kinetic energy, the potential energy and the total energy of the dog when it is at the bottom of the track.
- Determine the kinetic energy, the potential energy and the total energy of the dog when it is a quarter way up the track (1.0 m above the ground).

Instant	KE	PE	Total Energy
Top	0 J	784 J	784 J
2.0 m above ground	392 J	392 J	784 J
At ground	784 J	0 J	784 J
1.0 m above ground	588 J	196 J	784 J

These are always the same

$$a) \quad KE = \frac{1}{2} \times m \times v^2 = \frac{1}{2} \times 20 \text{ kg} \times 0 \text{ m/s}^2 = 0$$

$$PE = m \times g \times h = 20 \text{ kg} \times 9.8 \text{ m/s}^2 \times 4.0 \text{ m} = 784 \text{ J}$$

$$\left. \begin{array}{l} KE = 0 \\ PE = 784 \text{ J} \end{array} \right\} \Rightarrow \text{total} = 784 \text{ J}$$

$$b) \quad PE = m \times g \times h = 20 \text{ kg} \times 9.8 \text{ m/s}^2 \times 2.0 \text{ m} = 392 \text{ J}$$

$$KE + PE = 784 \text{ J} \Rightarrow KE + 392 \text{ J} = 784 \text{ J} \Rightarrow KE = 784 \text{ J} - 392 \text{ J} = 392 \text{ J}$$

$$\hookrightarrow KE = \text{Total} - PE$$

$$c) \quad PE = 20 \text{ kg} \times 9.8 \text{ m/s}^2 \times 0 \text{ m} = 0 \text{ J} \dots \dots$$

$$d) \quad PE = 20 \text{ kg} \times 9.8 \text{ m/s}^2 \times 1 \text{ m} = 196 \text{ J}$$