

Weds / Thurs LABS - prelab

Fri: HW due by 5pm

Supp Ex 29,30,31,32,33a

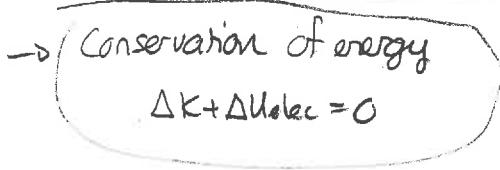
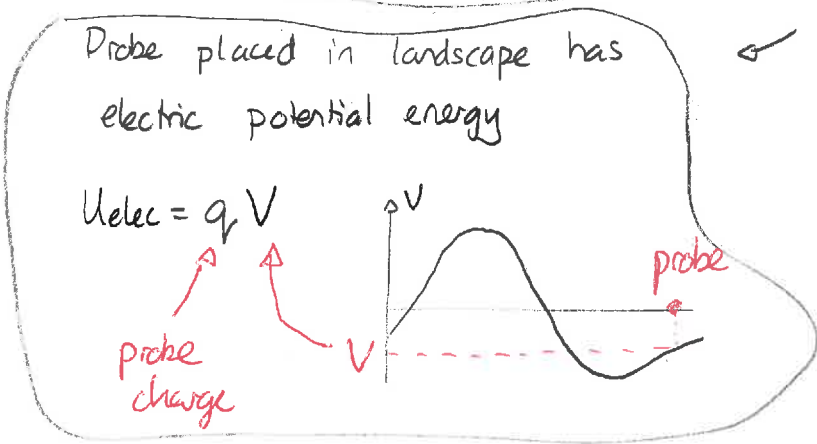
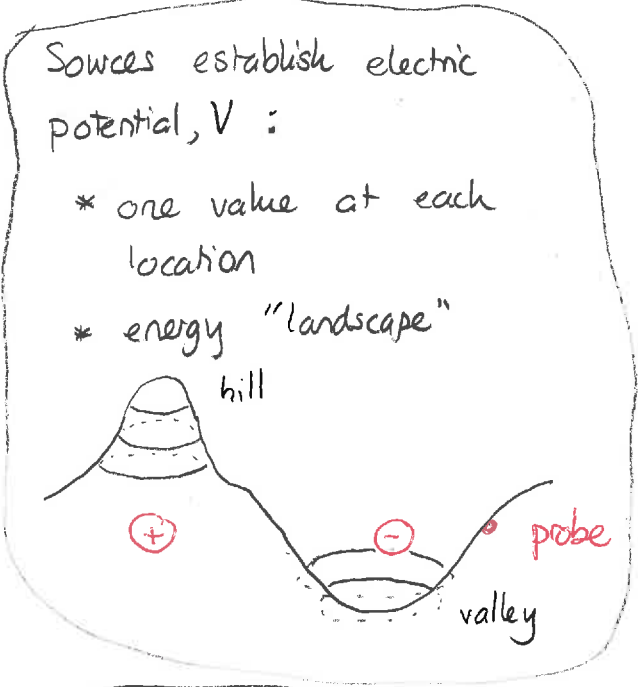
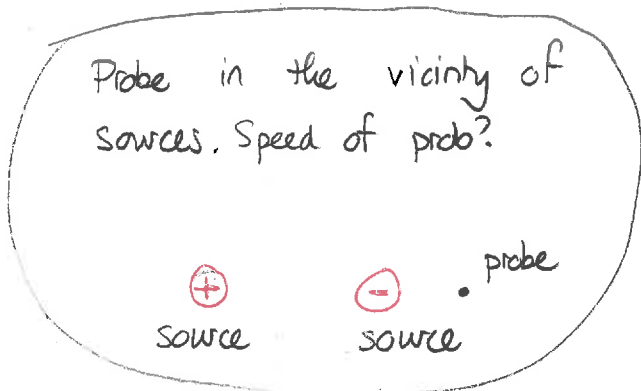
Ch 21 Q 5

Prob 19,79

Fri: Physics candidate seminar WS 264.

Energy in electrostatics

The basic scheme regarding energy in electrostatics is:



Demo: PhET Charges + Fields

- Place various charges - observe red/blue

- use meter to observe V

- describe hills/valleys.

Demo: Video Khutoryansky: 0:27, 0:59, 1:50

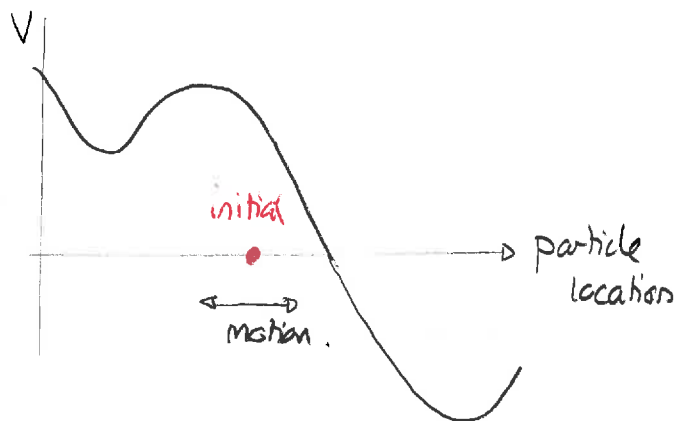
Quiz 1 20% - 50%

Recall that the electric potential only depends on the arrangement of source charges.

Motion of a probe in an electric potential

Consider the situation where a collection of hidden sources produces an electric potential as illustrated. Suppose that a probe can move along one line.

At an initial instant the particle is given a kick either left or right. How does the potential describe its subsequent motion?



Here

$$\Delta K + \Delta U_{elec} = 0$$

$$\Rightarrow \Delta K + q \Delta V = 0$$

$$\Rightarrow \Delta K = -q \Delta V$$

where q is the probe charge. We can now observe how V changes.

The key factors are:

- * Is ΔV positive, negative ?
 - * Is q " " ?
- } What does this say about ΔK .

Quiz 2 -50% → 90%

We see that

A	positive	probe	speeds up	when moving	down	V
"	"	"	slows down	"	"	up V
A	negative	"	speeds up	"	"	up V
A	"	"	slows down	"	"	down V

Quiz 3

Note that the sign of the potential is important.

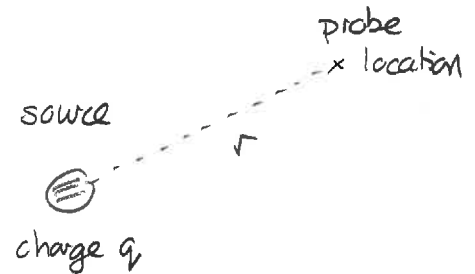
Potential produced by a point charge

So far we have not described how to determine the potential produced by sources. The simplest case involves a point charge. The way to determine the potential involves using calculus to determine the work done on a probe as it moves from one location to another. This gives ΔU_{elec} and eventually ΔV . The result is:

The electric potential produced at a point a distance r from a source charge is

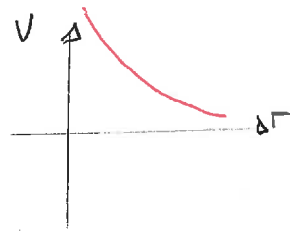
$$V = k \frac{q}{r}$$

where q is the charge of the source charge

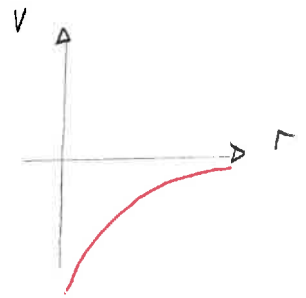


Quiz 4 30% → 90%

Graphing gives the following:



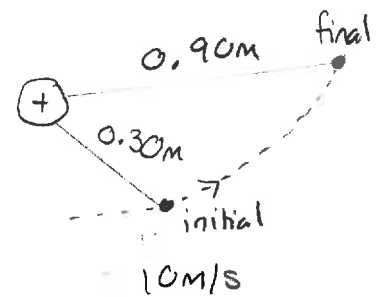
positive source



negative source

Example: A point particle with charge $+4.0 \times 10^{-6} \text{ C}$ is held fixed

- A probe charge with mass 0.0060 kg and charge $8.0 \times 10^{-6} \text{ C}$ moves as illustrated. Determine its speed at the final location.



Answer: Energy conservation

$$\Delta K + \Delta U_{\text{elec}} \Rightarrow \Delta K + q_{\text{probe}} \Delta V = 0$$

$$\Delta K = -q_{\text{probe}} \Delta V$$

$$\frac{1}{2} m v_f^2 - \frac{1}{2} m v_i^2 = -q (V_f - V_i)$$

We need initial and final potentials.

$$V_i = k \frac{q_{\text{source}}}{r_i} = \frac{8.99 \times 10^9 \text{ Nm}^2/\text{C}^2 \times 4.0 \times 10^{-6} \text{ C}}{0.30 \text{ m}} = 120000 \text{ V}$$

$$V_f = k \frac{q_{\text{source}}}{r_f} = \frac{8.99 \times 10^9 \text{ Nm}^2/\text{C}^2 \times 4.0 \times 10^{-6} \text{ C}}{0.90 \text{ m}} = 40000 \text{ V}$$

So

$$\begin{aligned} \frac{1}{2} m v_f^2 - \frac{1}{2} m v_i^2 &= -8.0 \times 10^{-6} \text{ C} [40000 \text{ V} - 120000 \text{ V}] \\ &= +0.64 \text{ J} \end{aligned}$$

$$\frac{1}{2} (0.0060 \text{ kg}) v_f^2 - \frac{1}{2} (0.0060 \text{ kg}) (10 \text{ m/s})^2 = +0.64 \text{ J}$$

$$0.0030 \text{ kg } v_f^2 - 0.30 \text{ J} = 0.64 \text{ J}$$

$$\Rightarrow 0.0030 \text{ kg } v_f^2 = 0.94 \text{ J}$$

$$\Rightarrow v_f^2 = 313 \text{ m}^2/\text{s}^2$$

$$\Rightarrow v_f = \sqrt{313 \text{ m}^2/\text{s}^2} = 18 \text{ m/s}$$
